

Dimensionality Choice

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Abstract: The dimensionality choice on the double surface was discussed..

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1. INTRODUCTION

Following the double surface concept the dimensionality (of space and time) R is proposed to be given by the elliptic length n expressed in Compton wavelengths of the mater [1]:

$$R = 2\sqrt{1 + \frac{\pi^2}{n^2} - 1}.$$
 (1)

The shorter the elliptic length n, the greater the dimensionality R.

And the elliptic length n can be deduced from the average elliptic-hyperbolic length s(n):

$$s(n) = n \left(2 - \frac{1}{\sqrt{1 + \frac{\pi^2}{n^2}}}\right).$$
 (2)

The shorter the average elliptic-hyperbolic length s(n), the shorter the elliptic length n, too. Thus, the shorter the average elliptic-hyperbolic length s(n), the greater the dimensionality R.

The length is not upside limited. So, to the infinite elliptic length $n = \infty = s(n)$ belongs the minimum dimensionality yielding unit value, i.e. $R_{minimum} = R(\infty) = 1$.

But the length is downside limited since the average elliptic-hyperbolic length cannot be smaller than one Compton wavelength of the matter. To the average-elliptic-hyperbolic length $\lambda_{Compton} = s(n) = 1$ belongs the elliptic length n = 0.546 897 427 7 ... that applying the relation (1) knocks the maximum dimensionality at $R_{maximum} = 10.66$...

The dimensionality choice then lies between the next numbers:

$$1 < R < 10.66 \dots$$

2. THE DIMENSIONALITY CHOICE

It is plausible to take into account natural numbers for spatial dimensions ($R \in \mathbb{N}$) and eventually half number 0.5 for the one-way time dimension ($R \in \mathbb{N} + 0.5$). Length characteristics of the dimensionality are given with the help of relation (1) written explicitly for the elliptic length *n* expressed in Compton wavelengths of the matter as follows:

$$n = \frac{\pi}{\sqrt{\left(\frac{R+1}{2}\right)^2 - 1}}.$$
(4)

The concerned dimensionality characteristics are collected in Table1.

Table1. On the dimensionality depended length characteristics expressed in Compton wavelengths of the matter

(3)

| Dimensionality R | Elliptic length <i>n</i> | Average elliptic-hyperbolic | Fraction by the matter |
|------------------|--------------------------|-----------------------------|-----------------------------------|
| | $(in \lambda_{Compton})$ | length s(n) | occupied length |
| | | $(in \lambda_{compton})$ | (inversed length $\frac{1}{}$) |
| | | Compton | $(\text{inversed length}_{s(n)})$ |
| 1 | 00 | 00 | 0 |
| 1.5 | 4,188 790 204 8 | 5,026 548 245 7 | 0.1989 |
| 2 | 2.809 925 892 4 | 3.746 567 856 6 | 0.2669 |
| 2.5 | 2.187 524 340 4 | 3.125 034 772 0 | 0.3200 |
| 3 | 1.813 799 364 2 | 2.720 699 046 4 | 0.3676 |
| 3.5 | 1.558 666 443 9 | 2.424 592 460 7 | 0.4124 |
| 4 | 1.371 103 441 7 | 2.193 765 506 7 | 0.4558 |
| 4.5 | 1.226 352 199 9 | 2.006 758 145 3 | 0.4983 |
| 5 | 1.110 720 734 5 | 1.851 201 224 2 | 0.5402 |
| 5.5 | 1.015 930 850 5 | 1.719 267 593 1 | 0.5816 |
| 6 | 0.936 641 964 1 | 1.605 671 938 5 | 0.6228 |
| 6.5 | 0.869 234 031 2 | 1.506 672 320 8 | 0.6637 |
| 7 | 0.811 155 735 2 | 1.419 522 536 6 | 0.7045 |
| 7.5 | 0.760 551 348 2 | 1,342 149 379 9 | 0.7451 |
| 8 | 0.716 035 419 6 | 1.272 951 857 1 | 0.7856 |
| 8.5 | 0.676 550 651 3 | 1.210 669 586 6 | 0.8260 |
| 9 | 0.641 274 915 1 | 1.154 294 847 1 | 0.8663 |
| 9.5 | 0.609 558 510 3 | 1.103 010 637 6 | 0.9066 |
| 10 | 0.580 880 687 1 | 1.056 146 703 9 | 0.9468 |
| 10.5 | 0.554 818 816 3 | 1.013 147 403 7 | 0.9870 |
| 10.661 565 554 | 0.546 897 427 7 | 1 | 1 |

Due to dimensional limitations, matter cannot occupy the entire available length. Maximum length is occupied at the dimensionality 10.5 where only 1.3% of the average elliptic-hyperbolic length remains unoccupied. What could mean that during the placement of matter in 10.5-dimensional space-time the surplus energy of 0.013 mc² being released. In the case of the electron the mentioned energy amounts to 6.63 keV as follows:

 $\Delta E_{electron} = (1 - 0.987)m_e c^2 = 0.013 \ x \ 511 \ keV = 6.63 \ keV.$

3. INSTEAD OF CONCLUSION

The mentioned value coincides with the discovery of a strong 6.6 keV emission feature from EXO 1745-248 after the superburst in 2011 October. [2] Even more precisely, the observed X-ray spectra for RW Aurigae noticed the absorption and emission feature at 6.63 keV during the 2017 dimming event. [3]

4. CONCLUSION

Forget about coincidences if they don't lead to an answer.

REFERENCES

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